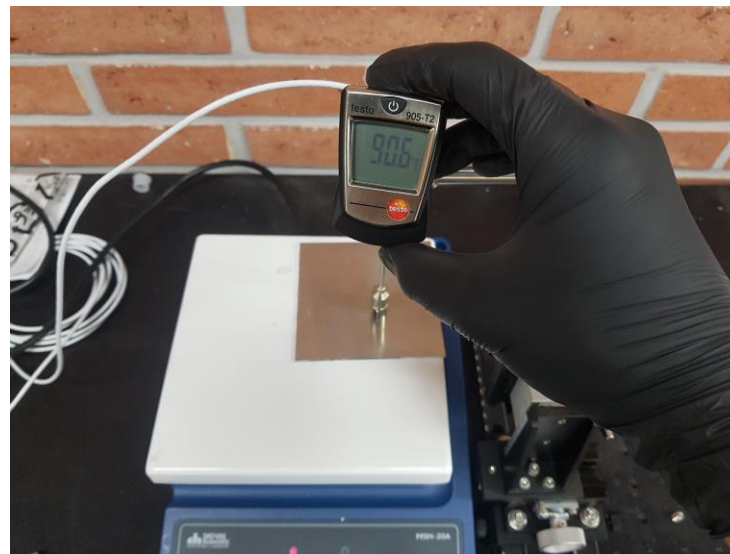
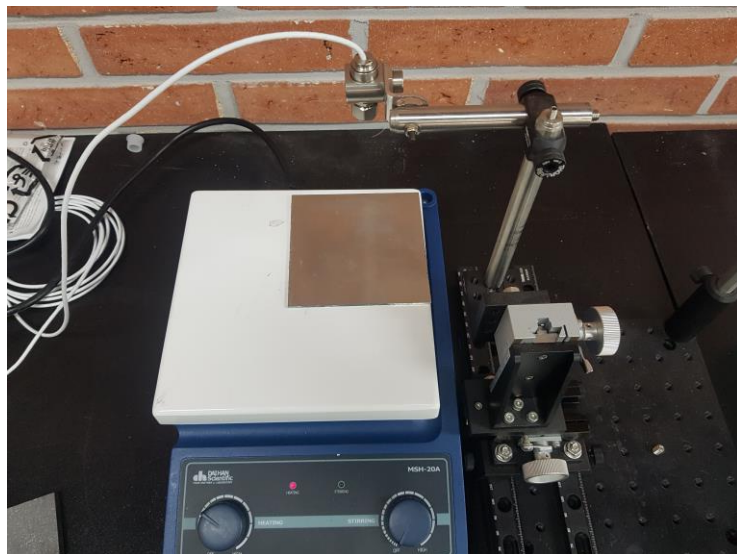


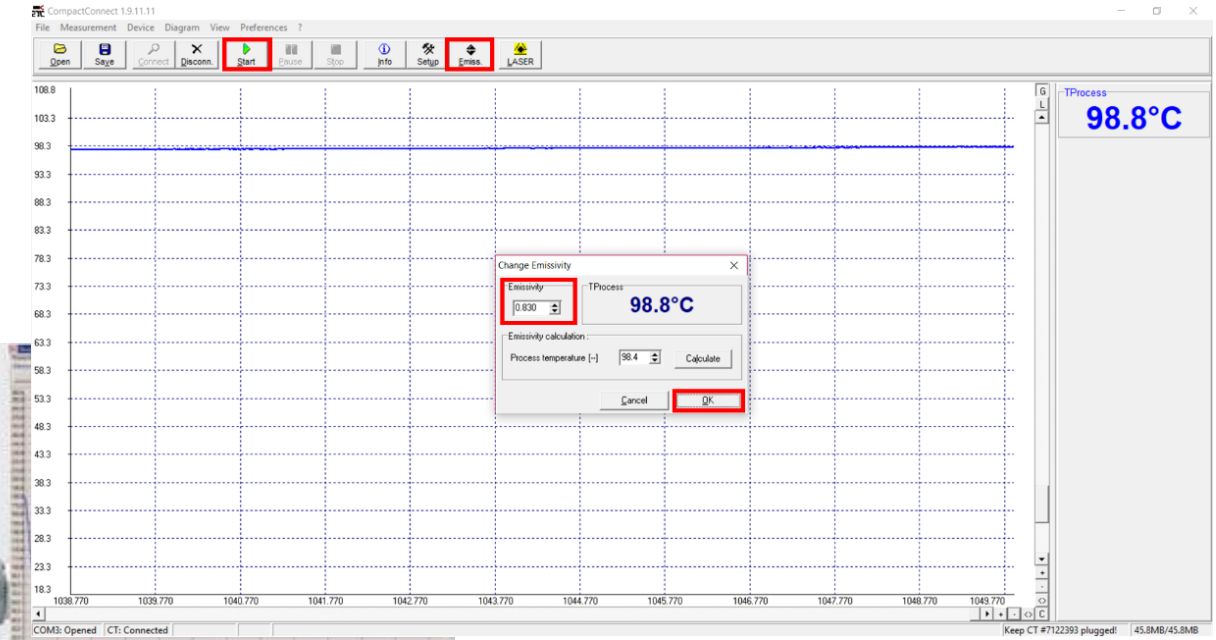
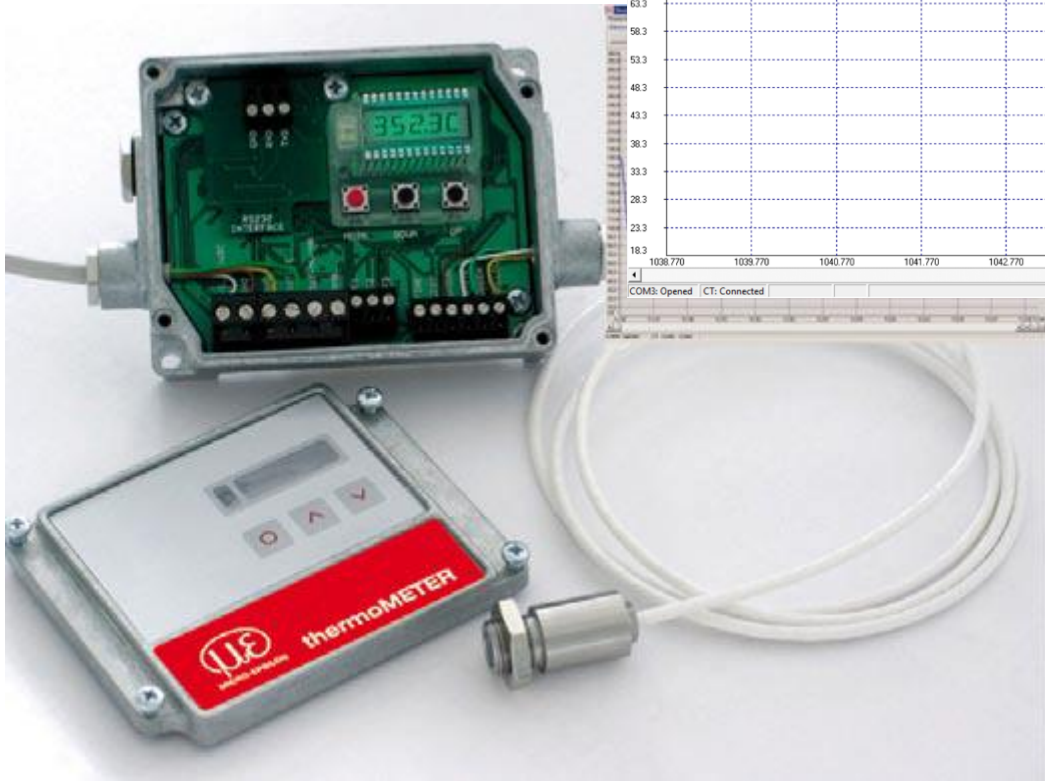
# 복사열전달 실험

# 실험 개요

## 실험목적

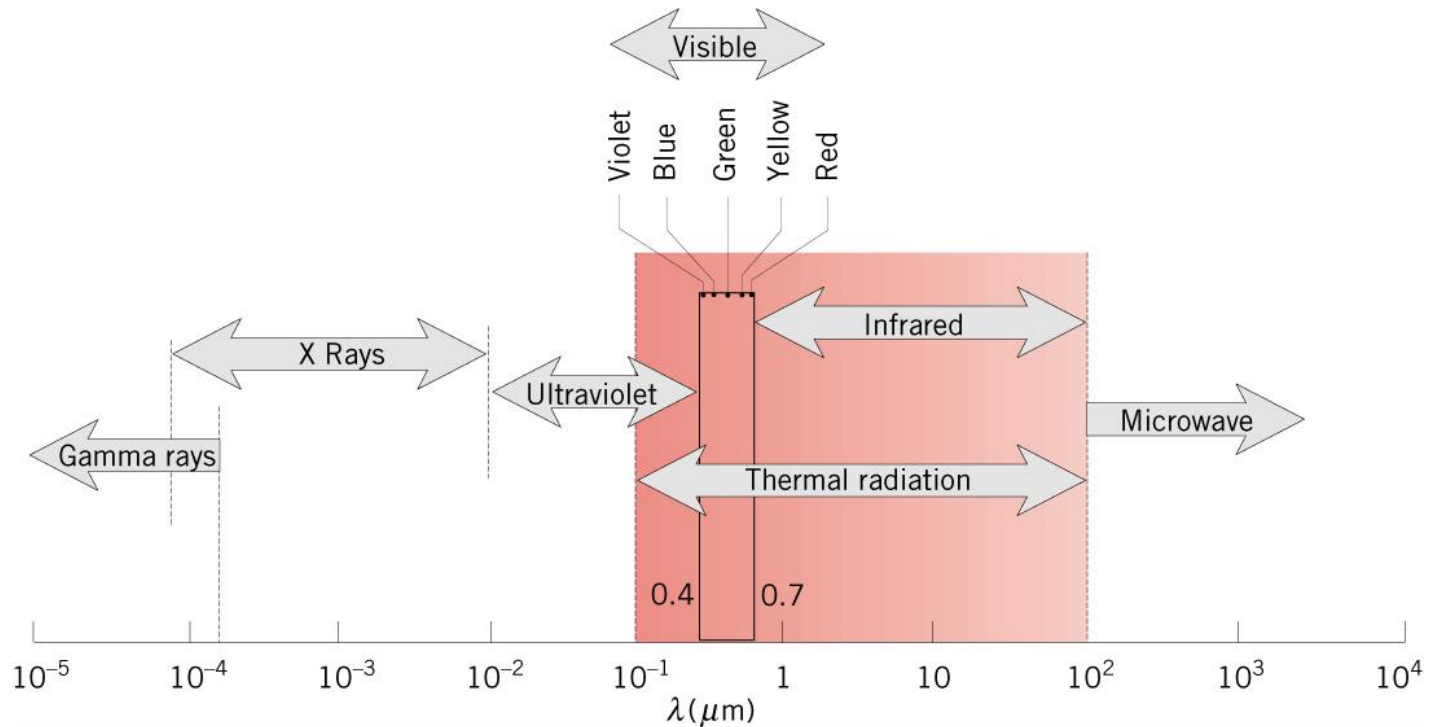
- 이 실험의 목적은 가열된 플레이트 윗면의 emissivity를 실험을 통해 구하고, 이를 이용하여 플레이트의 온도 분포를 비접촉식 적외선 온도 센서를 이용하여 구하는 것을 목적으로 한다.





# 실험 이론

4



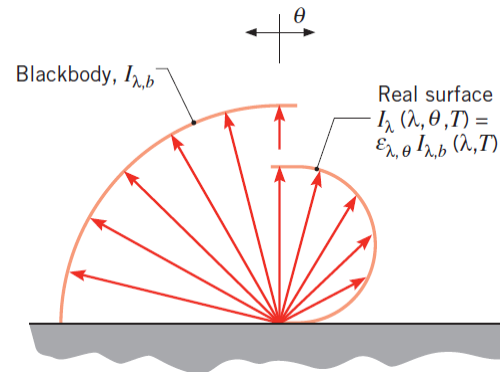
- Thermal radiation is confined to the **infrared**, **visible** and **ultraviolet** regions of the spectrum ( $0.1 < \lambda < 100 \mu\text{m}$ ).

# Surface Emissivity

- Radiation emitted by a surface may be determined by introducing a property (the **emissivity**) that contrasts its emission with the ideal behavior of a blackbody at the same temperature.
- The definition of the emissivity depends upon one's interest in resolving directional and/or spectral features of the emitted radiation, in contrast to averages over all directions (hemispherical) and/or wavelengths (total).

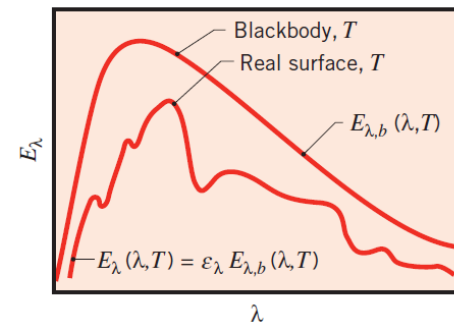
- The **spectral, directional emissivity**:

$$\varepsilon_{\lambda,\theta}(\lambda,\theta,\phi,T) \equiv \frac{I_{\lambda,e}(\lambda,\theta,\phi,T)}{I_{\lambda,b}(\lambda,T)}$$



- The **spectral, hemispherical emissivity** (a directional average):

$$\varepsilon_{\lambda}(\lambda,T) \equiv \frac{E_{\lambda}(\lambda,T)}{E_{\lambda,b}(\lambda,T)} = \frac{\int_0^{2\pi} \int_0^{\pi/2} I_{\lambda,e}(\lambda,\theta,\phi,T) \cos\theta \sin\theta d\theta d\phi}{\int_0^{2\pi} \int_0^{\pi/2} I_{\lambda,b}(\lambda,T) \cos\theta \sin\theta d\theta d\phi}$$



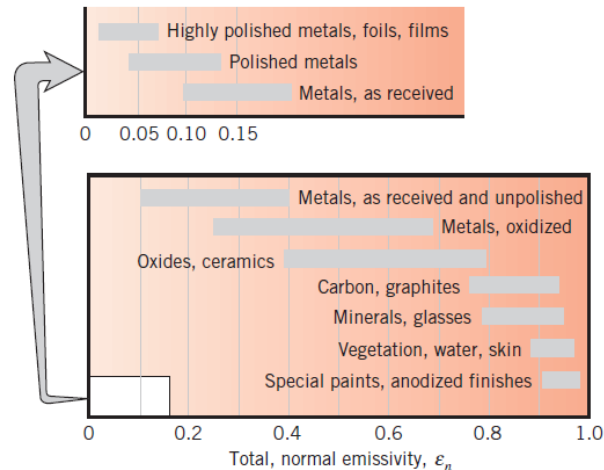
- The **total, hemispherical emissivity** (a directional and spectral average):

$$\varepsilon(T) \equiv \frac{E(T)}{E_b(T)} = \frac{\int_0^\infty \varepsilon_\lambda(\lambda, T) E_{\lambda, b}(\lambda, T) d\lambda}{E_b(T)}$$

- To a reasonable approximation, the hemispherical emissivity is equal to the normal emissivity.

$$\varepsilon \approx \varepsilon_n$$

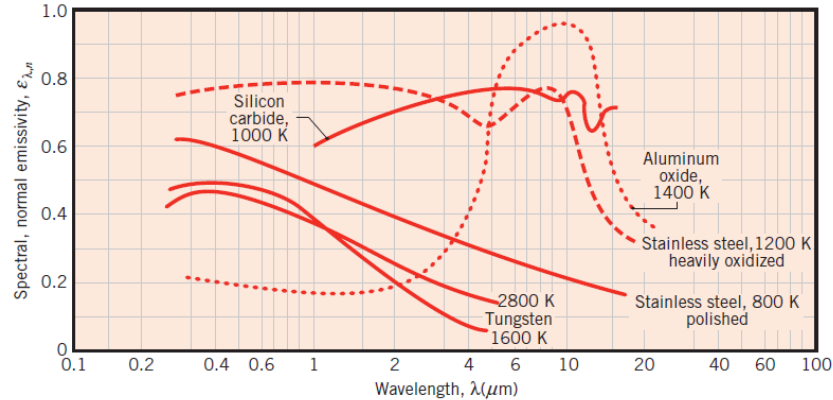
- Representative values of the total, normal emissivity:



Note:

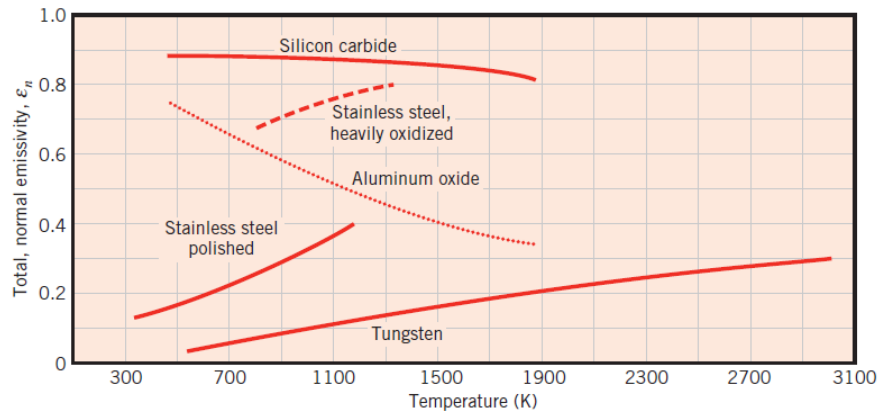
- Low emissivity of polished metals and increasing emissivity for unpolished and oxidized surfaces.
- Comparatively large emissivities of nonconductors.

- Representative spectral variations:



Note decreasing  $\epsilon_{\lambda,n}$  with increasing  $\lambda$  for metals and different behavior for nonmetals.

- Representative temperature variations:



Why does  $\epsilon_n$  increase with increasing  $\lambda$  for tungsten and not for aluminum oxide?